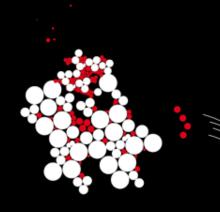
## UNIVERSITY OF TWENTE.







IN-SITU MEASUREMENTS using the LOCAL PLANE WAVE method for POWER, ABSORPTION and TRANSMISSION

NAG Masterclass: Meten van Geluid

1 December 2021

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#### **CONTENTS**

- Introduction
- The Local Plane Wave (LPW) method
- In situ Sound Power
- In situ Sound Absorption
- In situ Sound Transmission
- Conclusion





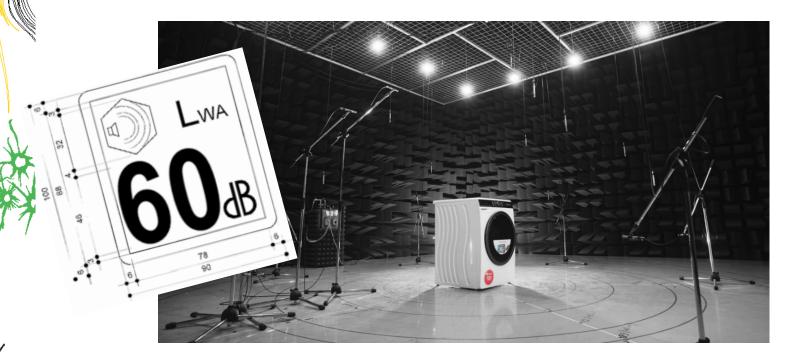
# **INTRODUCTION**

Sound power



# **INTRODUCTION**

Sound power

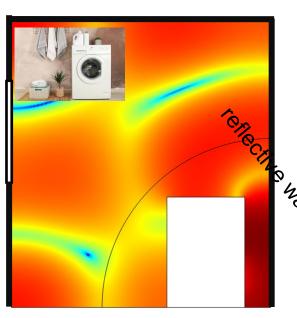


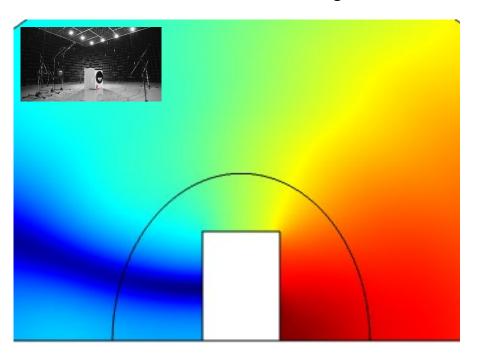




## **INTRODUCTION**

- Sound pressure level (@200 Hz)
  - Same source ... different acoustic environment ... large differences









 Sound intensity = Active intensity = Net energy flux radiated to the environment

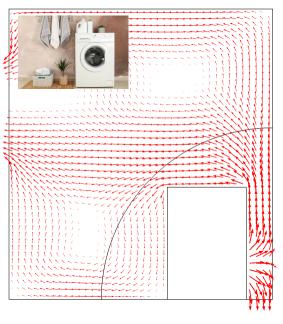
$$\mathbf{I}_{ac} \cdot \mathbf{n} = \frac{1}{2} \Re \left( P \overline{\mathbf{U}} \cdot \mathbf{n} \right) \text{ in Watts/m}^2$$

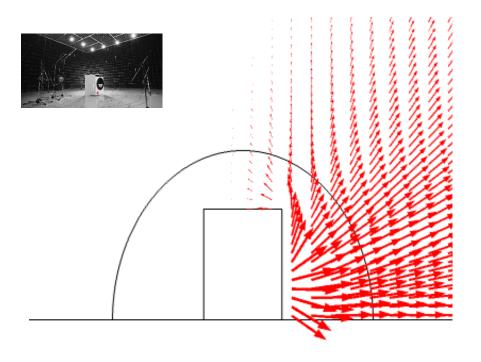
Sound power = Active power = Net power radiated to the environment

$$P_{ac} = \int \mathbf{I}_{ac} \cdot \mathbf{n} dS$$
 in Watts

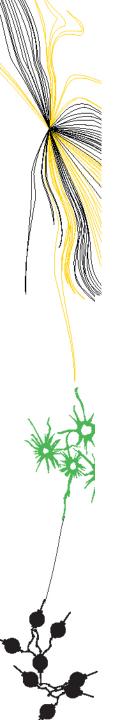


- Sound intensity vectors ...
  - Same source ... different acoustic environment

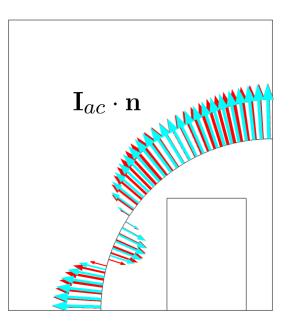








- Intensity (normal component)
  - Evaluated on a surface/line completely surrounding the source



$$P_{ac} = \int \mathbf{I}_{ac} \cdot \mathbf{n} dS$$

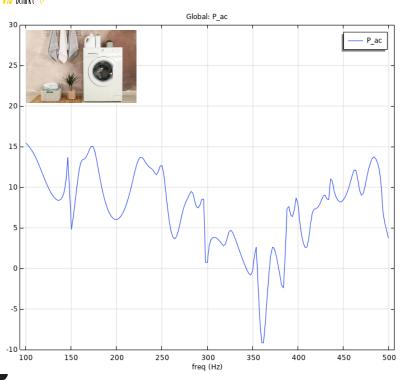


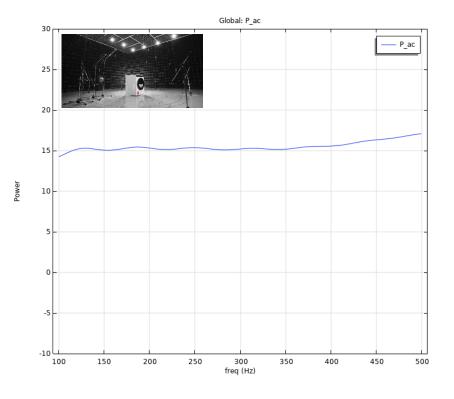
Sound power to Sound power level

$$L_W = 10log_{10} \left( \frac{P_{ac}}{P_{ref}} \right) \quad \text{in dB}$$

$$P_{ref} = 1[pW] = 10^{-12}[W]$$

Sound power level ???

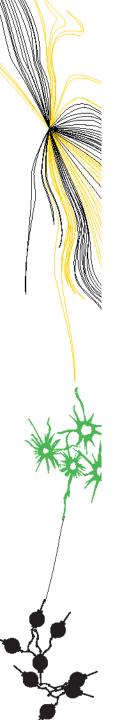






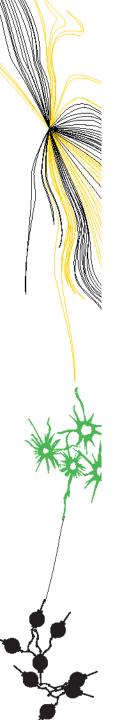


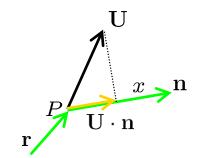
- Sound power is quite different ...
  - Sound power depends on the acoustic environment the source is in!
  - Sound power measured in an anechoic room is not equal to the in situ sound power emitted!
    - So why determine the sound power in an anechoic environment?
- but ...
  - What is then the actual, in situ, power emitted by the source?
  - And how much of this power is being reflected by its surroundings?



## LOCAL PLANE WAVE (LPW) EXPANSION

- ... you can get the answer using a Local Plane Wave expansion of the sound field
  - The sound field at the measurement surface is approximated by **two local plane waves** propagating in direction **n**(an emitted and a reflected wave)





#### LOCAL PLANE WAVE EXPANSION

 ... the measured pressure and normal velocity component (or two pressures) are mapped onto this model

$$P = Ae^{-ikx} + Be^{ikx} = A + B$$

$$\mathbf{U} \cdot \mathbf{n} = \frac{1}{\rho c} \left( Ae^{-ikx} - Be^{ikx} \right) = \frac{1}{\rho c} (A - B)$$

... to determine the (complex) amplitudes of both waves

$$A(\mathbf{r}, \mathbf{n}) = (P + \rho c \mathbf{U} \cdot \mathbf{n})/2$$
  
 $B(\mathbf{r}, \mathbf{n}) = (P - \rho c \mathbf{U} \cdot \mathbf{n})/2$ 



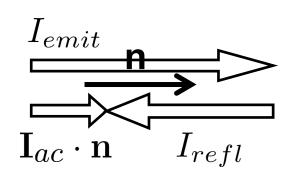
#### **LOCAL PLANE WAVE EXPANSION**

... to determine the emitted intensity

$$I_{emit} = A\bar{A}/(2\rho c)$$

... and emitted power

$$P_{emit} = \int I_{emit} \, dS$$



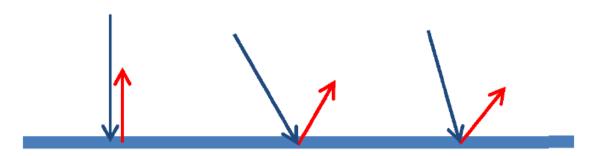
• and of course ... 
$$P_{refl} = \int I_{refl} \, dS$$





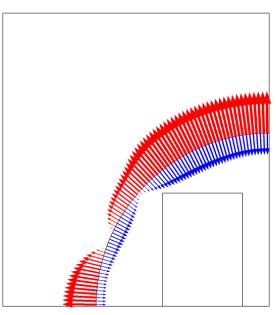
#### LOCAL PLANE WAVE EXPANSION

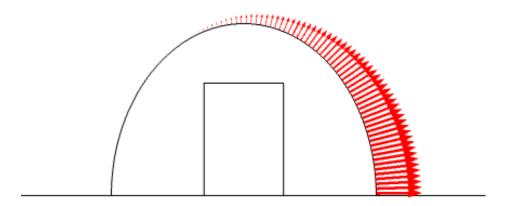
- Family of methods ...
  - LPW Local Plane Wave (simple)
  - LSPW Local Specular Plane Wave (complex)
  - LAPW Local Arbitrary Plane Wave (~\*;-)\_?)





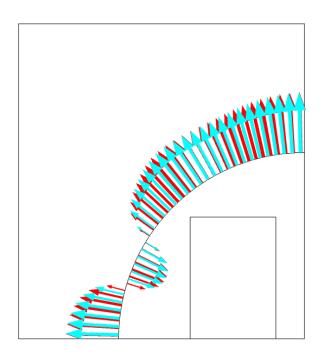
 Emitted intensity (red) and reflected intensity (blue), based on the local plane wave expansion







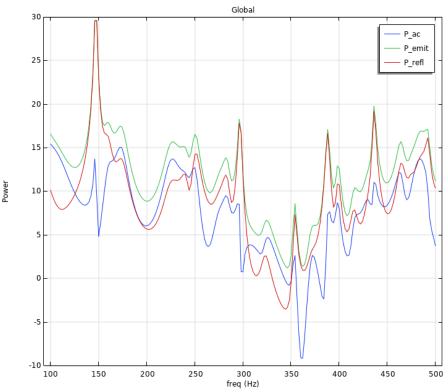
Active intensity (cyan) = Emitted intensity - Reflected intensity (red)





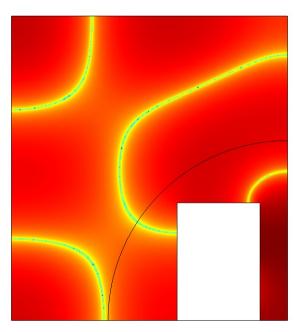


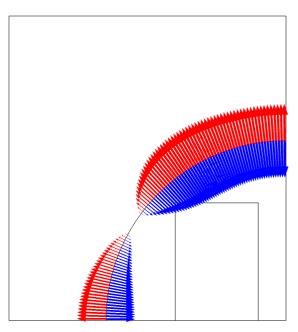
Emitted power (green), Reflected power (red), Active power (blue)





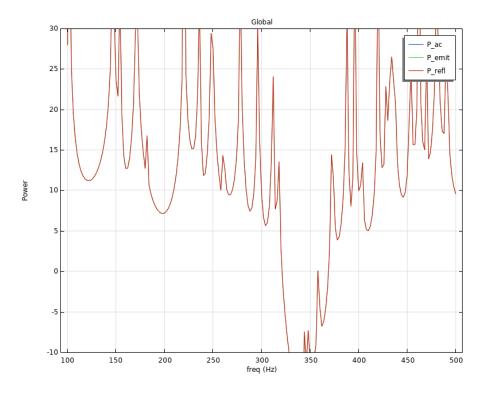
- Closing the window (= reverberant room)
  - Sound pressure level is high ... sound power level is zero!





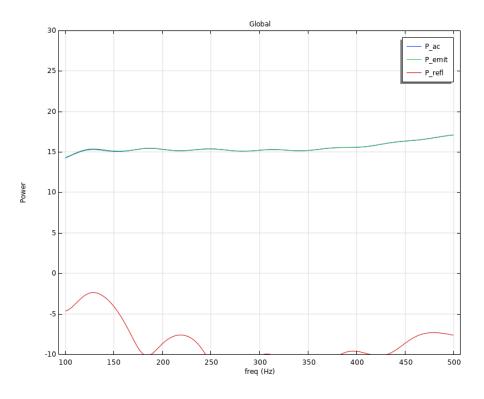


Closed window. Emitted power = Reflected power, Active power = 0





Anechoic room. Emitted power = Active power, Reflected power = 0







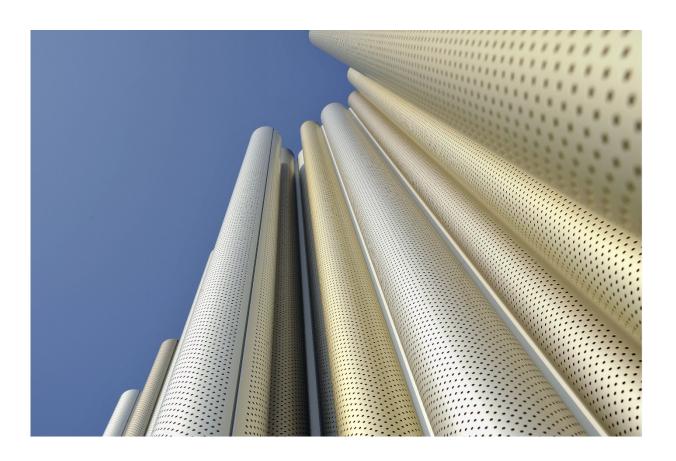






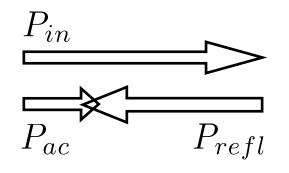


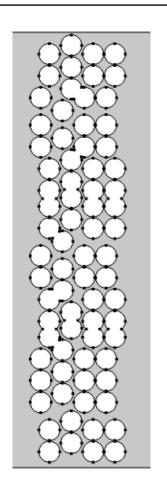






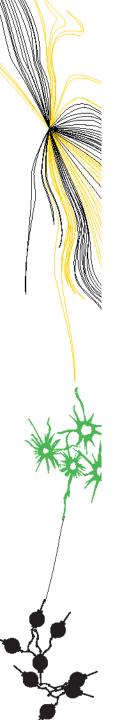






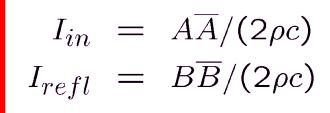
$$\alpha \equiv \frac{P_{ac}}{P_{in}}$$





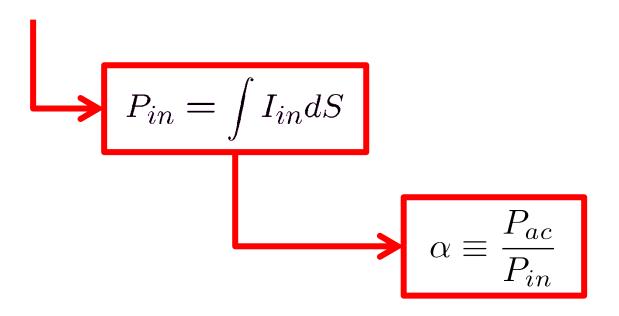
The LPW approach ...

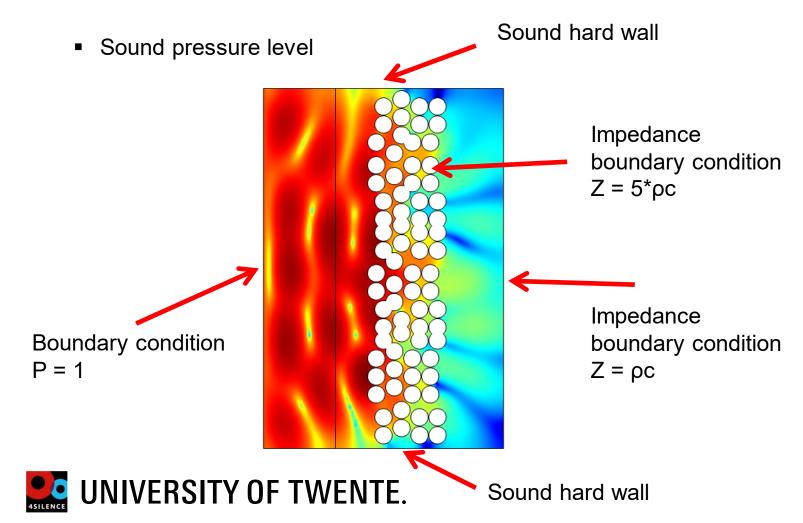
$$A(\mathbf{r}, \mathbf{n}) = (P + \rho c \mathbf{U} \cdot \mathbf{n})/2$$
  
 $B(\mathbf{r}, \mathbf{n}) = (P - \rho c \mathbf{U} \cdot \mathbf{n})/2$ 





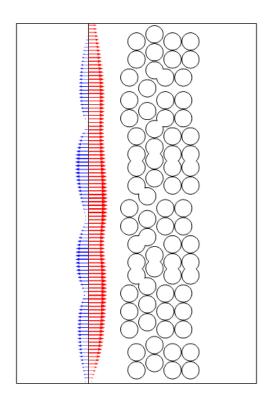
The LPW approach ...





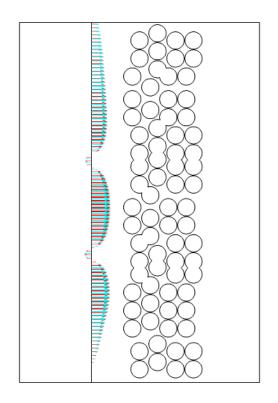


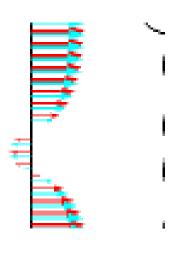
Incident intensity (red), Reflected intensity (blue)





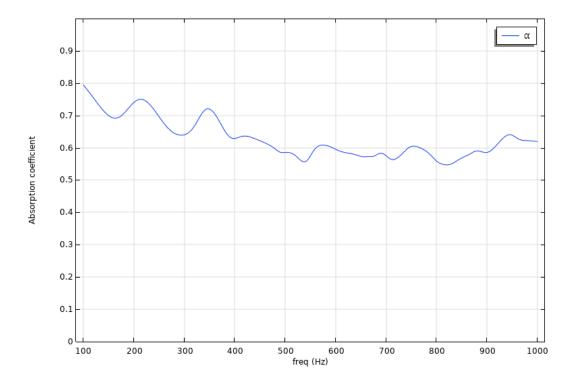
Active intensity (cyan) = Incident intensity - Reflected intensity (red)





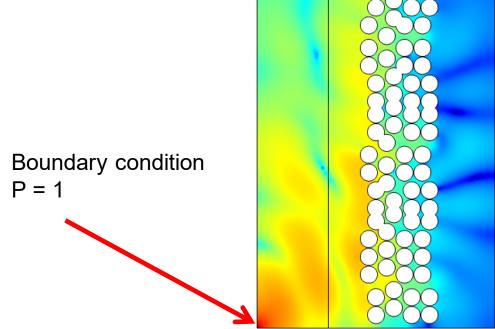


Sound absorption coefficient





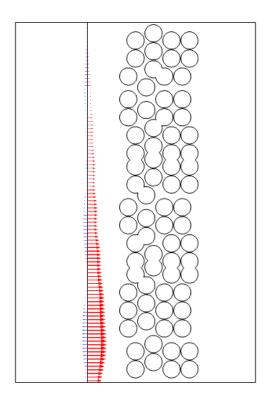
Sound absorption coefficient





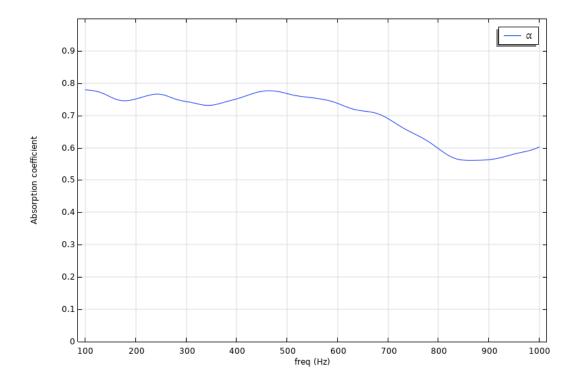


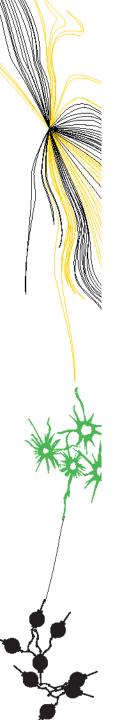
Incident intensity (red), Reflected intensity (blue)





Sound absorption coefficient





Measurements (Sonocat)





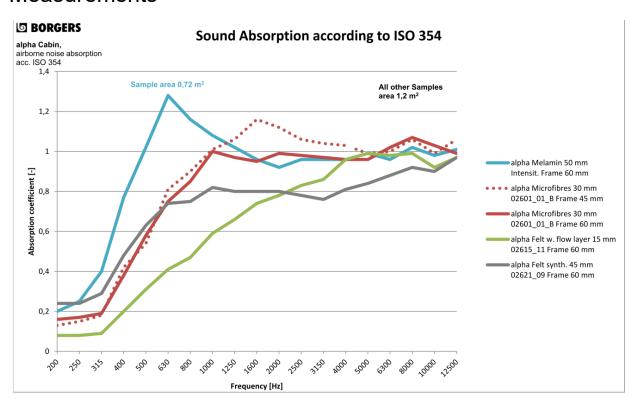
Measurements





### IN SITU SOUND ABSORPTION

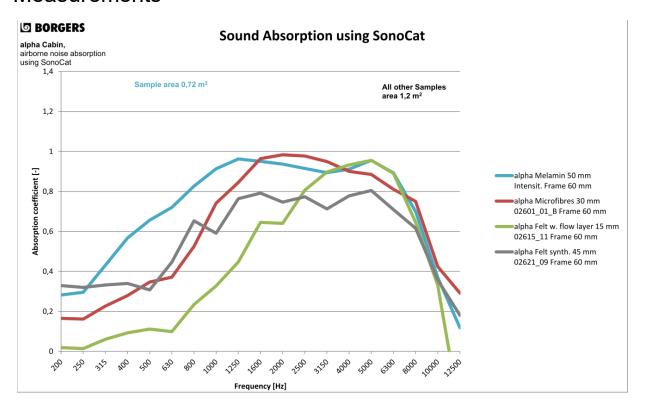
#### Measurements

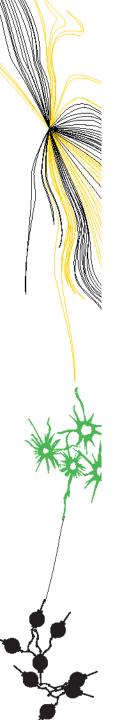




## IN SITU SOUND ABSORPTION

#### Measurements





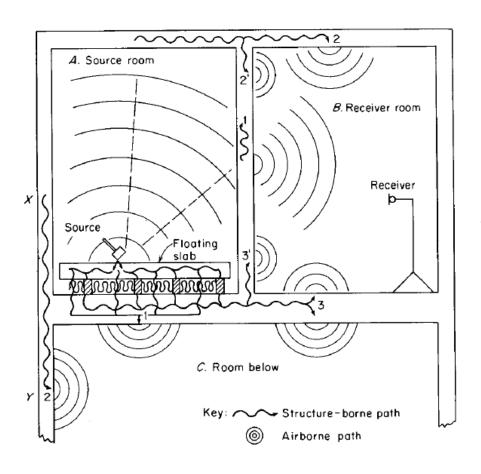
#### IN SITU SOUND ABSORPTION

- Based on a LOCAL plane wave assumption (LPW), the incident and reflected sound intensity in a specified direction n, at any position can be measured in-situ, for any sound field and any acoustic environment (reflections)
- The incident intensity can be integrated over the surface of interest to obtain the incident power, from which the absorption coefficient of that particular surface can be obtained





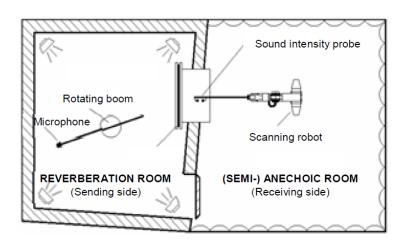








Transmission measurement in a reverberation/anechoic room:

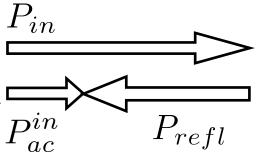


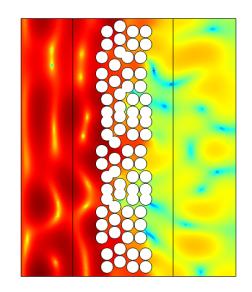
Sending room is reverberant: Because the sound field is diffuse, the incident power can be approximated Receiver room is anechoic: Because there are no reflections, the transmitted power equals the active power

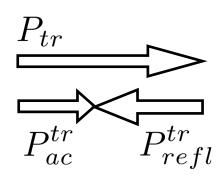




• But how do we measure the transmission coefficient of the noise barrier?





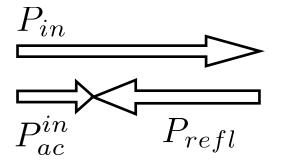


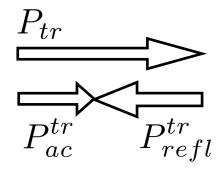
$$\tau \equiv \frac{P_{tr}}{P_{in}} \qquad TL = -10log_{10} \left(\frac{P_{tr}}{P_{in}}\right)$$





 Again we can use the LPW approach ... on the incident side and on the transmitted side ...



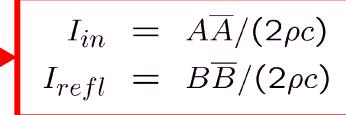






The LPW approach on the incident side ...

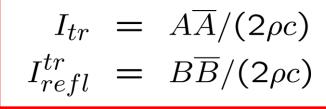
$$A(\mathbf{r}, \mathbf{n}) = (P + \rho c \mathbf{U} \cdot \mathbf{n})/2$$
  
 $B(\mathbf{r}, \mathbf{n}) = (P - \rho c \mathbf{U} \cdot \mathbf{n})/2$ 





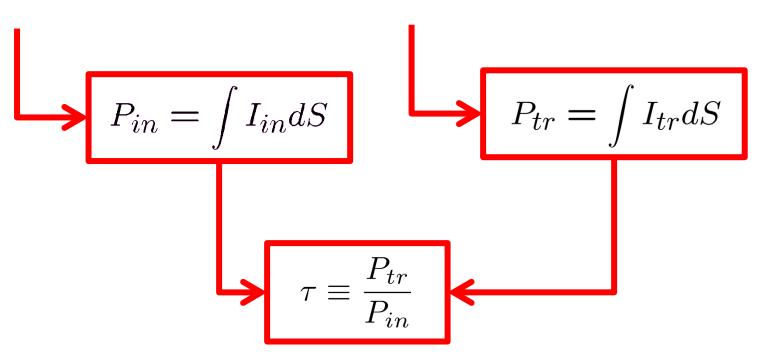
The LPW approach on the transmitted side ...

$$A(\mathbf{r}, \mathbf{n}) = (P + \rho c \mathbf{U} \cdot \mathbf{n})/2$$
  
 $B(\mathbf{r}, \mathbf{n}) = (P - \rho c \mathbf{U} \cdot \mathbf{n})/2$ 



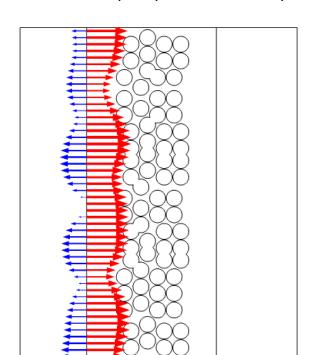


The LPW approach ...

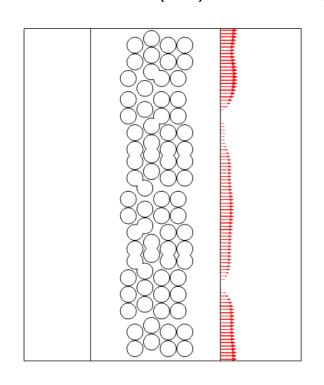




Incident (red), Reflected (blue)

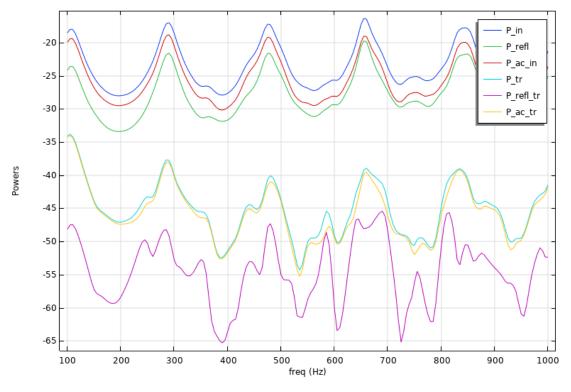


Transmitted (red), Reflected (blue)





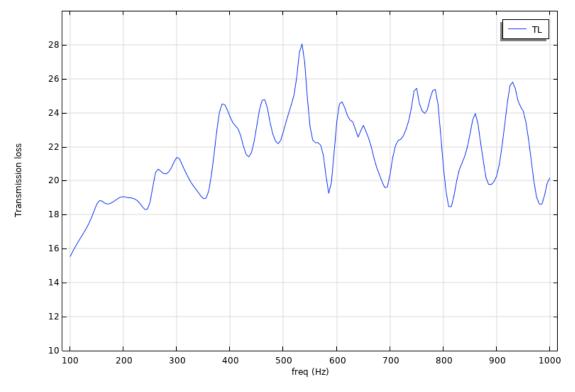
#### ■ POWERZZZ ...



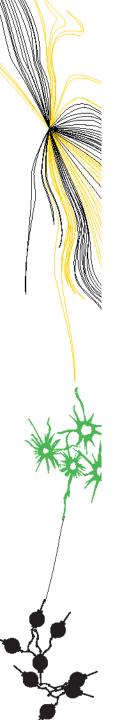




#### Transmission loss







Measurements (with M+P)

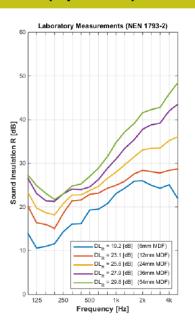


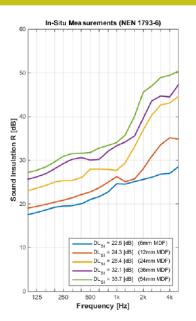


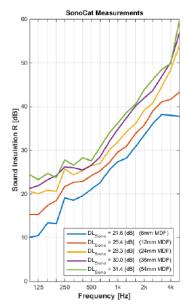
Measurements (with Fons Peeters and Bert Peeters from M+P)

11 Determination of acoustic properties of Noise Barriers

#### **Results (Spectral)**







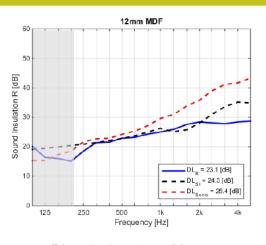


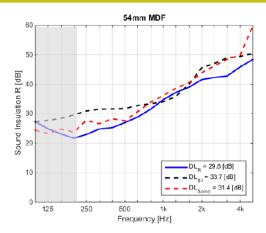


#### Measurements

12 Determination of acoustic properties of Noise Barriers

### Results (Spectral)





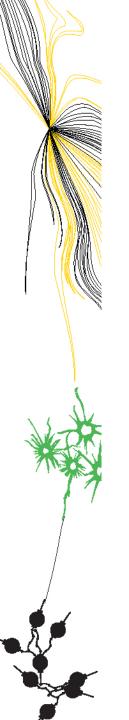
Blue: Laboratory Measurements (1793-2)

Black: In-Situ (1793-6)

Red: SonoCat

 High frequencies: lab very sensitive for leakage





- The LPW method can be used to approximate the incident and transmitted powers in a transmission experiment, and hence provides an estimate for the transmission loss of the partition
- The method does not rely on any assumption about the acoustic field in the sending room or receiving room, nor does it rely on any assumption about the source. It can thus be used to find the in-situ transmission loss of the partition (how it performs in the real world!)



# THANK YOU FOR YOUR ATTENTION

• QUESTIONS?

